

ECS455 2014 Formula Sheet

| | | | |
|-----|---|-----|---|
| 103 | Limit: 40 symbols (or characters) per person. | 536 | Spreading Factor = $\frac{T_b}{T_c}$ |
| 053 | FDMA: $s(t) = \sum_{k=0}^{l-1} S_k C(f - k\Delta f)$ | 555 | OFDM, $\hat{s} = \sqrt{N}IFFT(S)$ $y = x * h$ $\hat{R} = \frac{1}{\sqrt{N}}FFT(r), S = \frac{\hat{R}}{H}$ |
| 089 | ifwht(eye(N)): Hadamard to Walsh | 567 | MulPathFadIncLaFDMGurband OrthFFTaIFFT |
| 094 | Engst $P_m \neq P_b, P_k = \frac{\binom{n}{k} A^k}{\sum_{i=0}^n \binom{n}{i} A^i}, n \geq m \rightarrow 0$ | 575 | $\Psi_N^{-(p-1)(q-1)}$; $\Psi_N = e^{(j2\pi/N)}$; p-row, q-col(DFT) |
| 095 | From 555, $x = \hat{s} + CP, r = y - CP$ | 658 | $H_{2N} = [H_N \ H_N; H_N \ (\text{not})H_N]$ |
| 104 | p[runs of length L] = $1/(2^L)$, $L < r$ = $1/(2^{L-1})$, $L > r$ r = polynomial order | 667 | Irwin Jacobs (Cornell): Pioneer of Wireless Future |
| 129 | $s(t) = \sum_{k=0}^{N-1} S_k \frac{1}{\sqrt{N}} 1_{[0, T_s]}(t) \exp(j \frac{2\pi k t}{T_s})$ | 682 | $f_k = \frac{k}{T_s}$, CDMA: Qualcomm |
| 154 | Er.C: $\frac{A^k}{m! m^{(k-m)}} p_0, k \geq m$ $\frac{A^k}{k!} p_0, k < m$ | 683 | $1 + 0x + x^2 + x^3$ $R_0 R_1 R_2 \rightarrow 100$ $(R_1 + R_2) R_0 R_1 \rightarrow 010$ |
| 163 | ErlangC: $\frac{A^m}{A^m + m! (1 - \frac{A}{m}) \sum_{k=0}^{m-1} \frac{A^k}{k!}}$ | 691 | $s(f) = \sum_{k=0}^{l-1} S_k C_k$ where $C_{k1} \perp C_{k2}$ |
| 184 | $B = (\frac{1}{2})RK, B = BW, R = \text{Rate bits/sec}, K = \text{K-user}$ orthogonal CDMA system | 706 | circular convolution $cconv([1,2,3],[4,5,6],3)$ = 31 31 28 |
| 203 | ErB. $k+1: \lambda\delta \quad k-1: k\mu\delta$, Andrew J.Viterbi: Viterbi algorithm | 734 | $\frac{1}{N} \Psi_N^* X = IDFT\{X\} = x$ $x \Leftrightarrow X = DFT\{x\} = \Psi_N x$ |
| 209 | Mutual Orthogonality $\forall i \neq j, \int c_i(t) * c_j(t) dt = 0$ | 865 | oversampling $s[n] = s(\frac{nT_s}{L}), s^{[l]}[n] = s(\frac{nT_s}{LN})$ L=over-sampling factor |
| 253 | Key CDMA Property: $\underline{s} C = (\sum_{k=1}^N s_k \underline{C}_k) \frac{1}{N} C^T = \underline{s}$ | 882 | Our text authors: D. Tse, P. Visnavath, A. Goldsmith |
| 290 | \oplus : same = 0, different = 1 | 915 | [1 2 3 0 0] cir.conv. [4 5 6 0 0] = [1 2 3]*[4 5 6] |
| 296 | An m - sequence covers all non-zero states in a cycle. 1) contain one more 1 than 0. 2) window width r can slide $N=(2^r)-1$ shifts | 962 | E.set $k+1: (n-k)\lambda\mu\delta \quad k-1: k\mu\delta$ |
| 325 | $h(t) = \sum_{i=0}^v \beta_i \delta(t - \tau_i)$ | 971 | $P_b = P_m = \frac{A^m}{\sum_{k=0}^m \frac{A^k}{k!}}$, $A = \lambda H, H = \frac{1}{\mu}$ |
| 361 | $s(f) = \frac{1}{\sqrt{N}} \sum_{k=0}^{N-1} S_k e^{-j2\pi(f-k\Delta f)\frac{T_s}{2}} T_s \text{sinc}(\pi T_s(f-k\Delta f))$ | 993 | MKChain: 0,0(1- $\lambda\delta$); 0,1($\lambda\delta$); 1,1(1- $\mu\delta$); 1,0($\mu\delta$) |
| 395 | Engset $P_b = (n-m)p_m / \sum_{k=0}^m (n-k)p_k$ | 998 | Ortho $\langle a, b \rangle = \bar{a} \text{ dot } \bar{b} \text{ complexconj.} = 0$ |